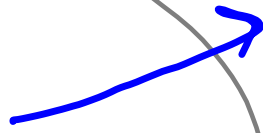


MON 11-21-05

GIVEN: $A = 1$

$B = 1$

PROVE: $1 = 2$



$$A = B$$

$$A^2 = AB$$

$$A^2 - B^2 = AB - B^2$$

$$(A+B)(\cancel{A-B}) = B(\cancel{A-B})$$

$$A+B = B$$

$$1+1 = 1$$

$$\therefore \underline{\underline{2 = 1}}$$

THIS
IS
WRONG

· AP NOTEBOOK PROBLEMS

· ARE FOR YOU TO RELEARN

· IF YOU CAN'T REMEMBER HOW TO DO A PROBLEM:

- NOTES
- BOOK
- OTHER STUDENTS
- G.C.
- TEACHER

* BUT LEARN

(OR RE-LEARN)

P.170 (22) $y' = \frac{2 \ln x}{x}$

* CLEARLY
INDICATE PAGE
| PROBLEM

P.170 ? ⑦ $y = \underline{e^2 x} - e^x$

$y' = e^2 - e^x$

$y' = ?x$
 $y' = ?$

$$\text{Ex) } y = 2^x; y' = ?$$

$$\ln y = \ln 2^x$$

$$\ln y = x \cdot \ln 2$$

$$\ln y = \ln 2 \cdot x$$

$$\frac{d(\ln y)}{dx} = \frac{d(\ln 2 \cdot x)}{dx}$$

$$y \left[\frac{1}{y} \cdot y' = \ln 2 \right]$$

$$y' = \ln 2 \cdot y$$

$$y' = \ln 2 \cdot 2^x$$

~~$y' = x \cdot 2^{x-1}$~~
SAD!

CALLED

LOGARITHMIC

DIFFERENTIATION

GENERALIZE:

$$y = A^x; y' = ?$$

$$y' = \ln A \cdot A^x$$

GENERALIZE FURTHER:

$$y = A^{\ln u}$$

A IS A CONSTANT
; WHERE u IS A
FUNCTION OF x !

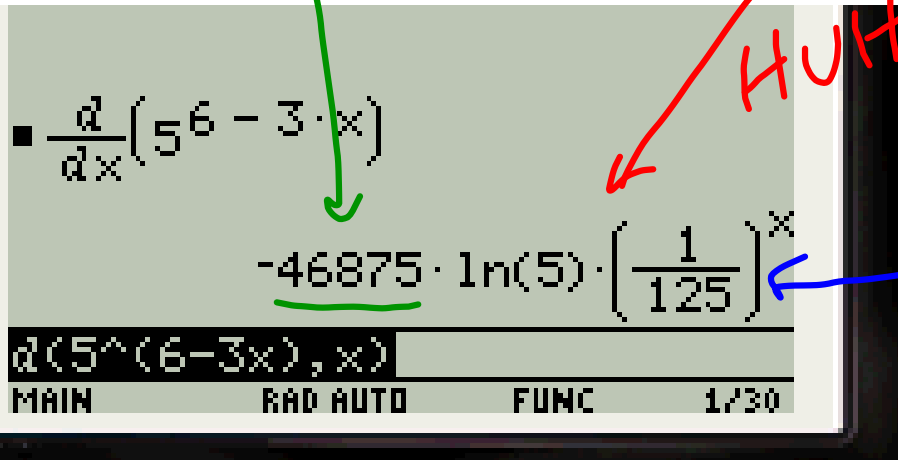
$$y' = \ln A \cdot A^{\ln u} \cdot \frac{du}{dx}$$

Ex) $y = 5^{6-3x}$; Find $D_x y$.

SOLUTION: $y' = \ln 5 \cdot 5^{6-3x} \cdot -3$

$y' = -3 \ln 5 \cdot 5^{6-3x}$

$-3 \cdot 5^6$



ARE THESE?
EQUIVALENT?
 $5^{-3x} = \left(\frac{1}{125}\right)^x$

$$y = \log_a x; \quad y' = ?$$

SOLUTION:

$$a^y = x$$

$$\ln a^y = \ln x$$

$$y \cdot \ln a = \ln x$$

$$y' \cdot \ln a = \frac{1}{x}$$

$$\underline{y' = \frac{1}{\ln a} \cdot \frac{1}{x}}$$

GENERALIZE:

$$y = \log_a u(x)$$

$$y' = \frac{1}{\ln a} \cdot \frac{1}{u(x)} \cdot \frac{du}{dx}$$

Ex) p.170 #36

$$y = \frac{1}{\log_2 x} ; \frac{dy}{dx} = ?$$

SOLUTION: REWRITE:

$$y = (\log_2 x)^{-1}$$

$$\frac{dy}{dx} = -1 \cdot (\log_2 x)^{-2} \cdot \frac{1}{\ln 2} \cdot \frac{1}{x} \cdot 1$$

$$\frac{dy}{dx} = \frac{-1}{\ln 2 \cdot x \cdot (\log_2 x)^2}$$

WHÉW!

O.T.L. · CORRECT AP PROBLEMS

· CORRECT TODAY'S O.T.L.

· P.170 14-19 (EVEN),
31-41 (ODD)

TEST NEXT TUES: 3.7-3.9

TEST NEXT THUR: CHAP. 3